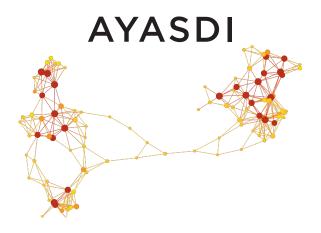
Topology and Machine Learning A Global Map of your Data

Anthony Bak



Part I

Problems with Big Data

Part I

- Problems with Big Data
- Topological Summaries

Part I

- Problems with Big Data
- Topological Summaries
- Examples

Part I

- Problems with Big Data
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Part II

Part I

- Problems with Big Data
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Part II

Review

Part I

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- Review
- Why Topolgy? (Big ideas with examples)

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Caveats: I am only talking about the strain of TDA done by Ayasdi

Goals

TDA Review

How do we extract meaning from Complex Data?

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TDA will be the tool that summarizes out the irrelevant stories to get at something interesting.

The shape (segmentations, groupings) represent verified hypothesis. You have to decide if they are interesting.

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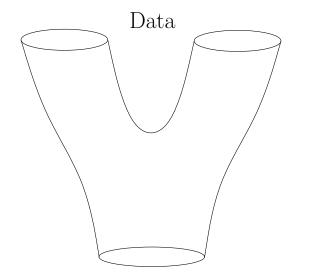
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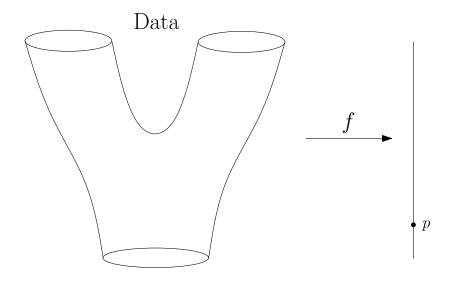
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 \Rightarrow Even more importantly, data in the real world is **never** like this.

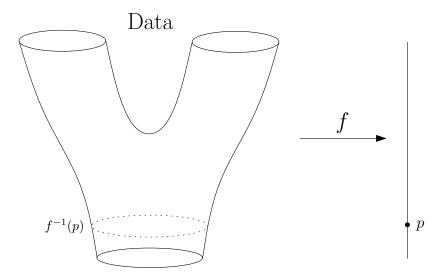




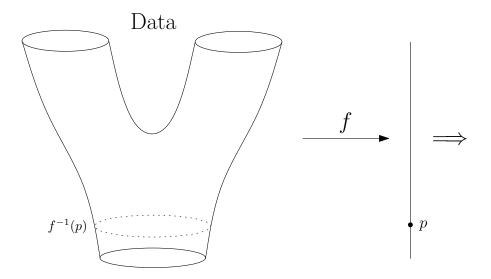






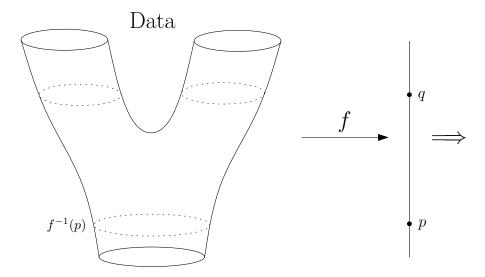






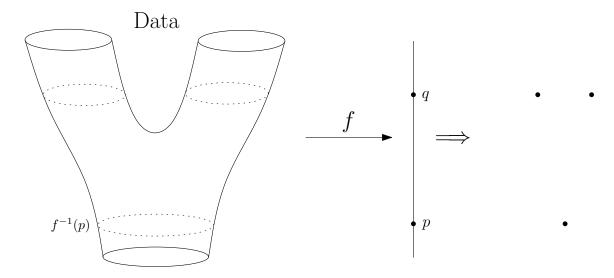
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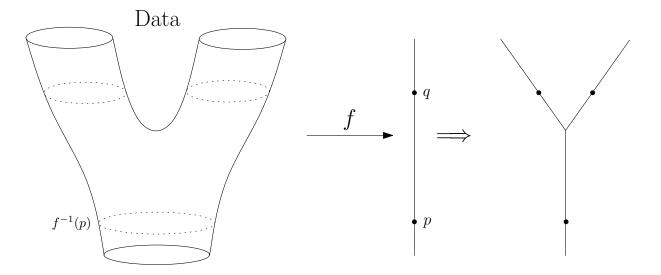


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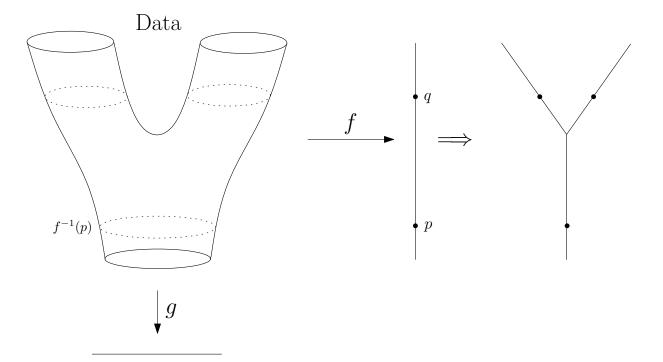




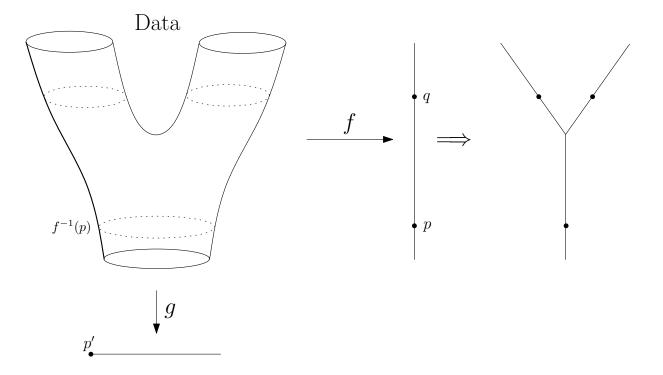




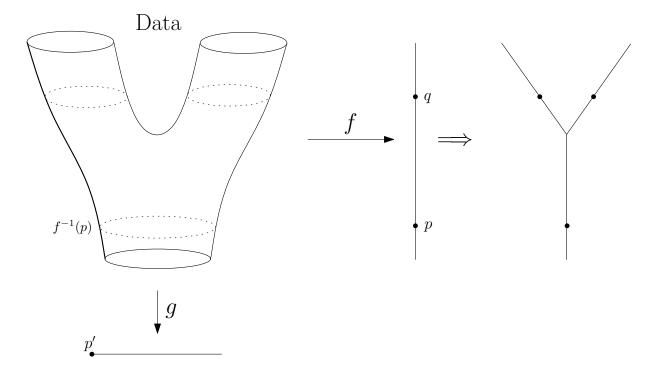




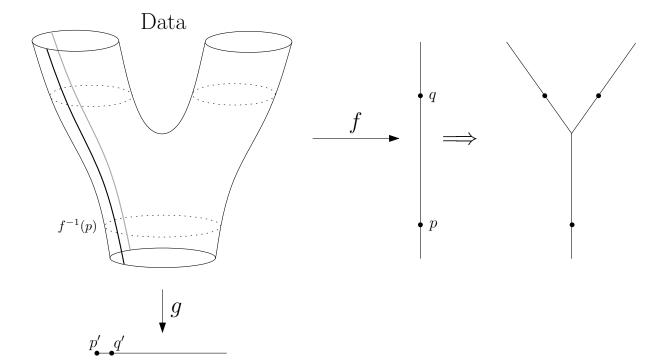






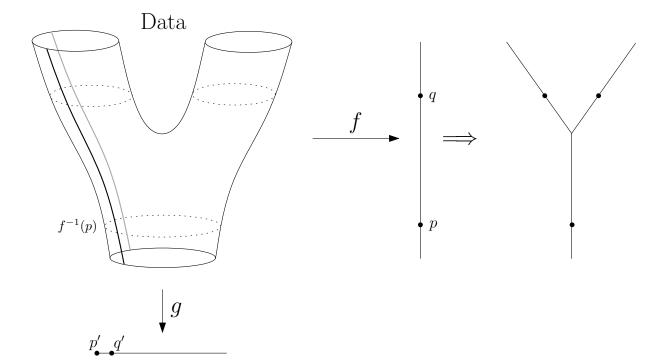






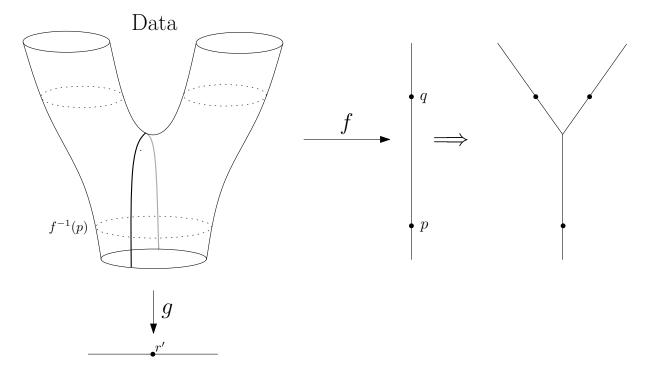
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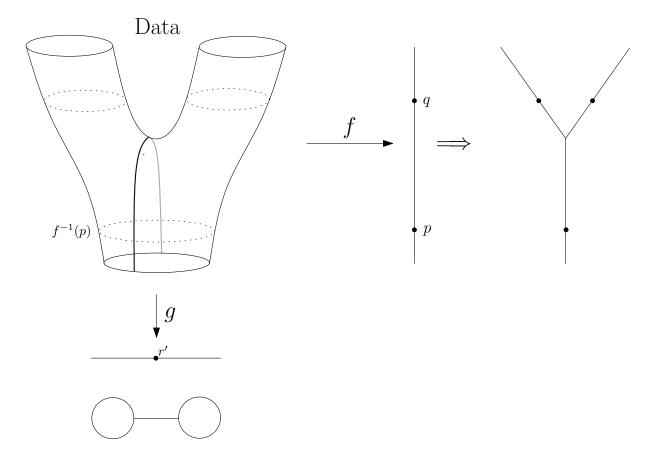


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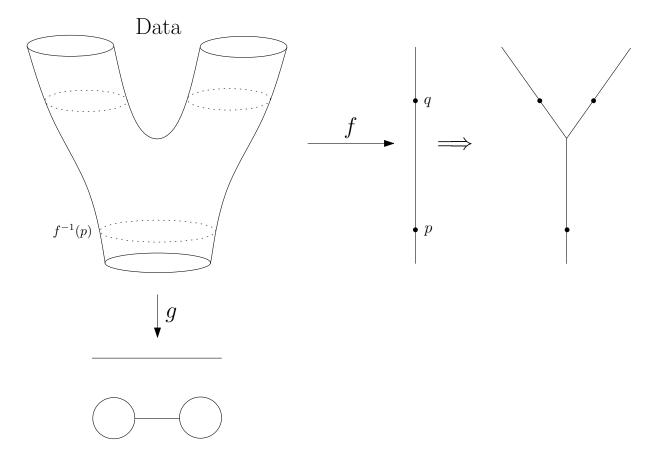






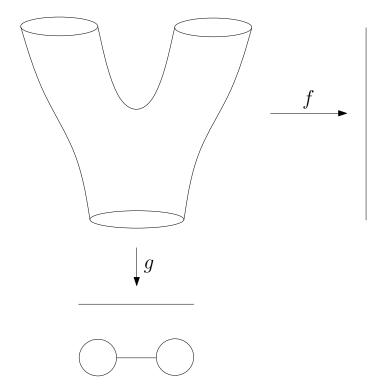


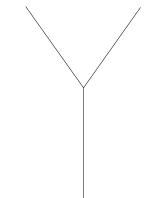




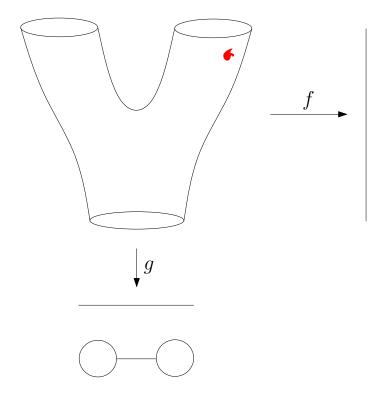
 \Rightarrow We get "easy" understanding of the localizations of quantities of interest.

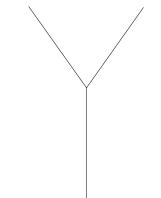




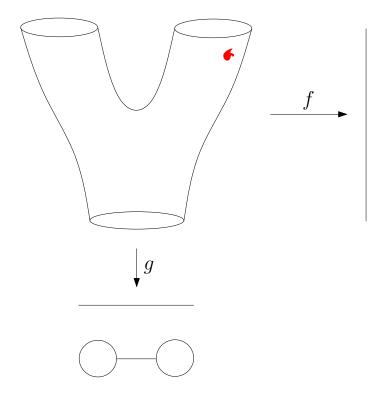


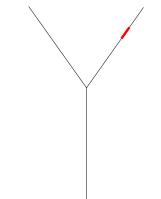




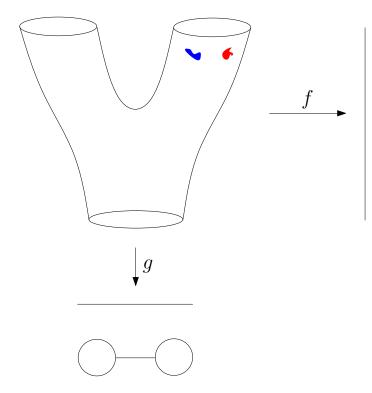


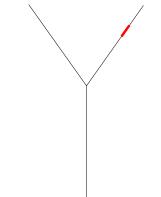




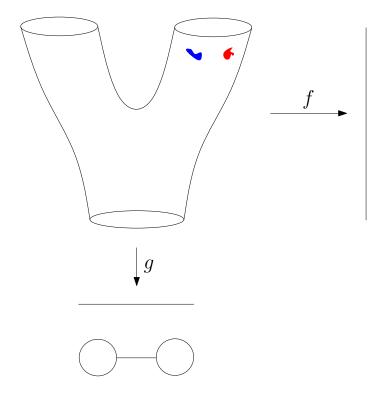


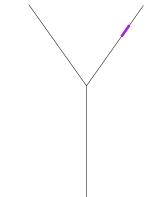




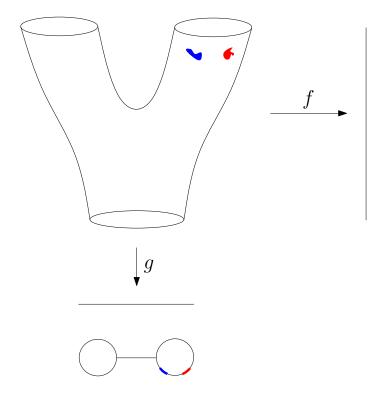


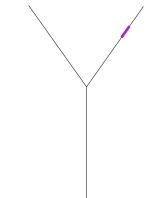




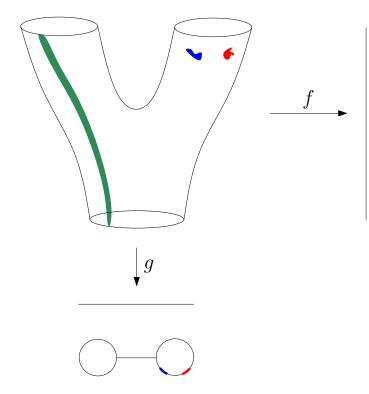


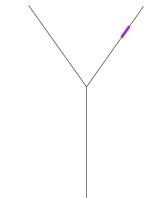




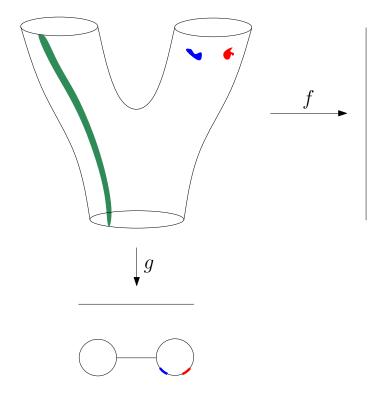


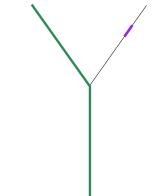




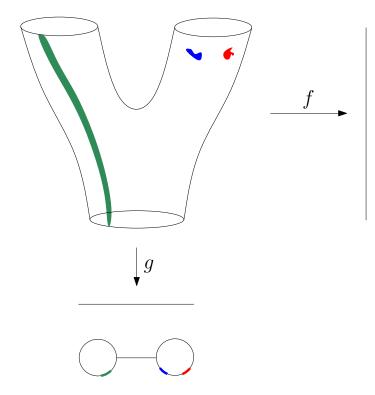


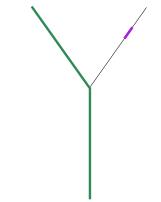












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- For easy localizations many different lenses will be informative.
- For hard (= geometrically distributed) localizations we have to be more careful. But even then, we frequently get incremental knowledge even from a poorly chosen lens.

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▶ We replace points with open sets in the range of the lens.

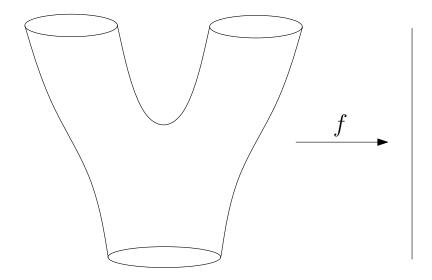
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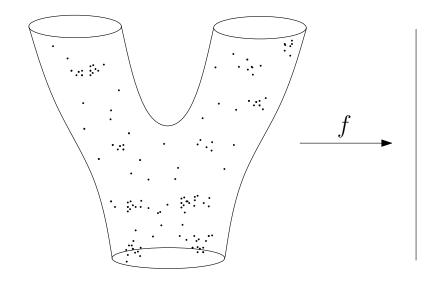
- We replace points with open sets in the range of the lens.
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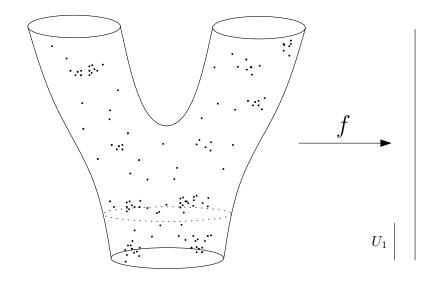
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- We replace points with open sets in the range of the lens.
- We replace "connected component of the inverse image" is with "clusters in the inverse image".
- We connect clusters (nodes) with an edge if they share points in common.

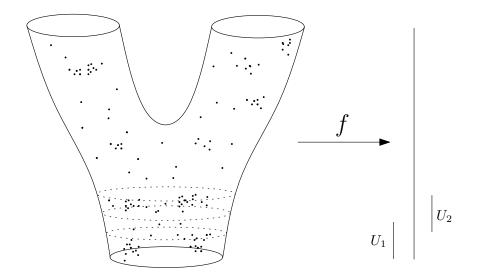




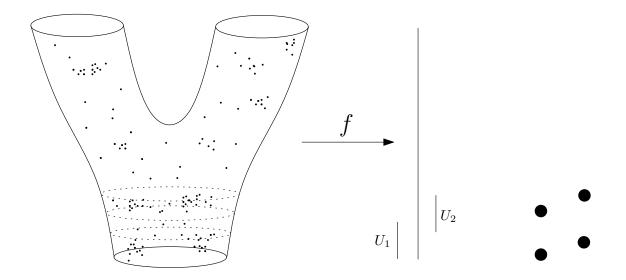


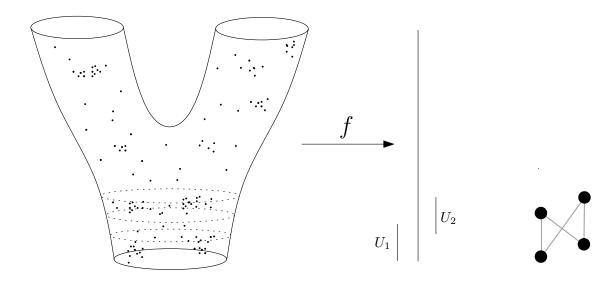


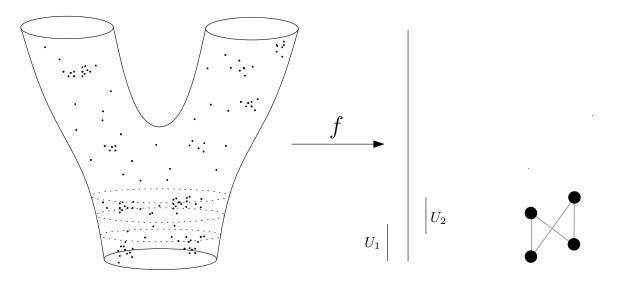






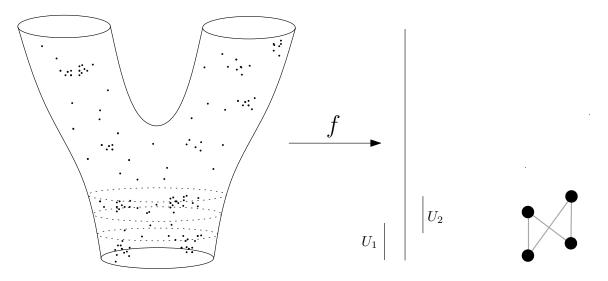






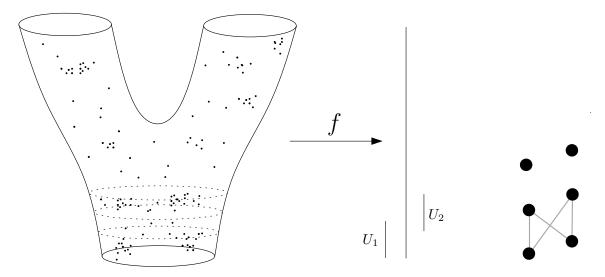
Nodes are clusters of data points





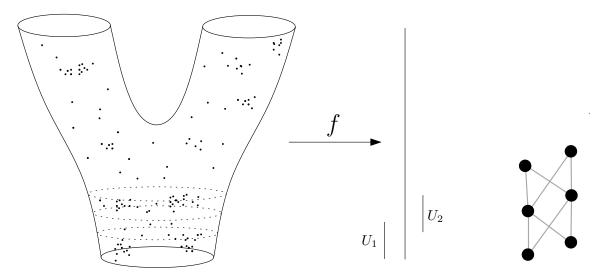
- Nodes are clusters of data points
- Edges represent shared points between the clusters





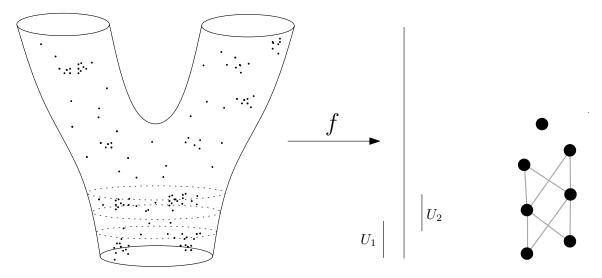
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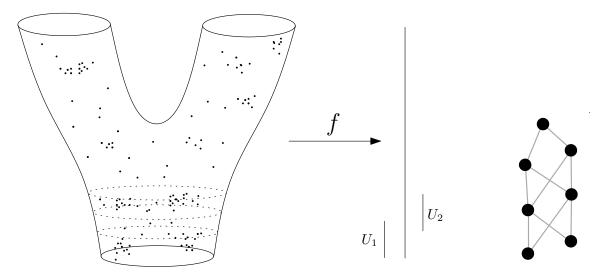
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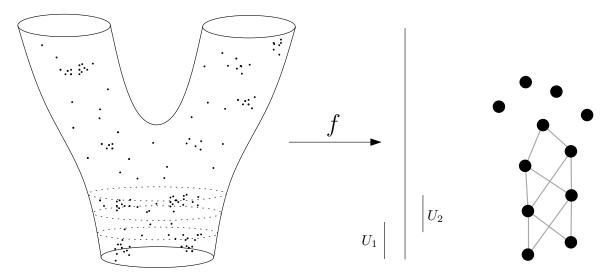
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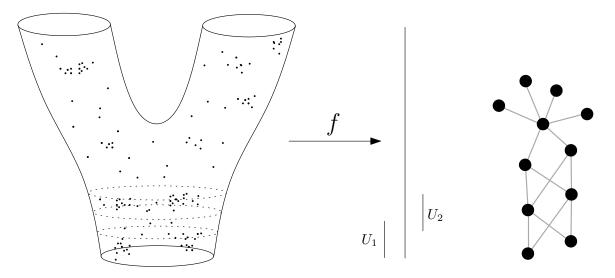
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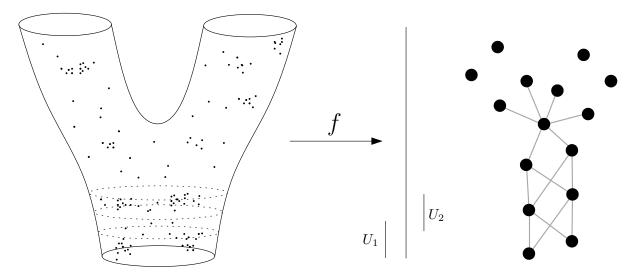
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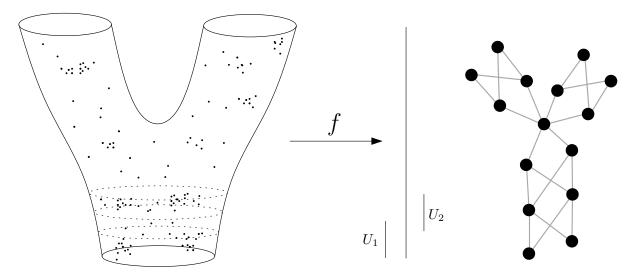
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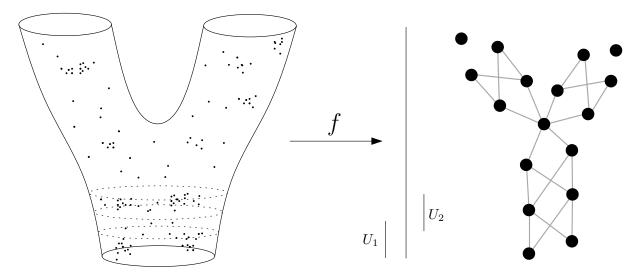
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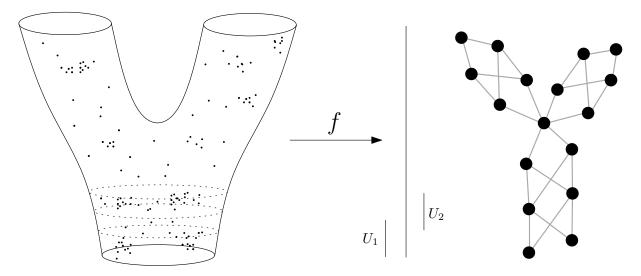
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The technique rests on finding good lenses.

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 \Rightarrow Luckily lots of people have worked on this problem

Standard data analysis functions

A Non Exhaustive Table of Lenses

Statistics

Standard data analysis functions

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Statistics

Mean/Max/Min

Standard data analysis functions

A Non Exhaustive Table of Lenses

Statistics Mean/Max/Min Variance

Standard data analysis functions

A Non Exhaustive Table of Lenses

Statistics Mean/Max/Min Variance n-Moment

Standard data analysis functions

A Non Exhaustive Table of Lenses

Statistics Mean/Max/Min Variance n-Moment Density

Standard data analysis functions

A Non Exhaustive Table of Lenses

Statistics		
Mean/Max/Min		
Variance		
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Density		

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- Standard data analysis functions
- Geometry and Topology

A Non Exhaustive Tab	le of Lenses
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Statistics	Geometry
Mean/Max/Min	
Variance	
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Density	

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A NOIL EXHAUSTIVE TABLE OF LEHSES		
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- Domain Knowledge / Data Modeling

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Why use TDA?

Basic Example: Higher Fidelity PCA

PCA is roughly speaking orthogonal projection onto the plane that best contains the data.

Advantages:

PCA is roughly speaking orthogonal projection onto the plane that best contains the data.

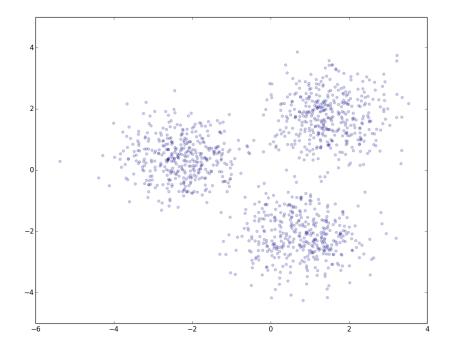
Advantages:

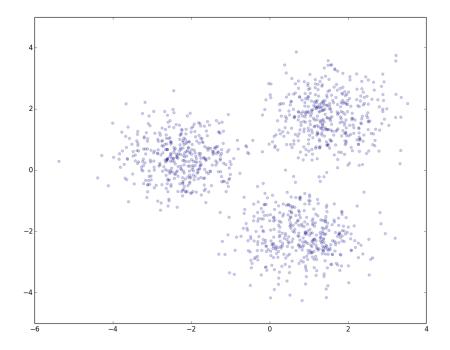
Provides unsupervised dimensionality reduction.

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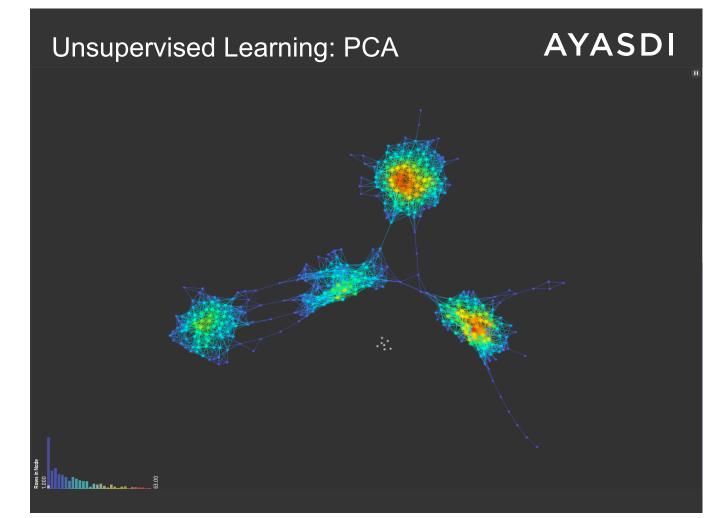
Advantages:

- Provides unsupervised dimensionality reduction.
- Easy to interpret: Finds the best linear subspace that captures the variance or spread of the data.





PCA captured 98.4% of the variance



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As a *framework* for data analysis we get **higher fidelity** from existing tools.

Real Examples

Supervised Learning: Model Introspection

We can use TDA to examine what is happening with our machine learning models.

Data: Customer attributes. Service usages, contractual details.

Problem: Customers commit fraud. Find customers with abnormal costs.

Proposed Solution: Create an ensemble of cost outlier models. Use these to flag customers as being fraudulent.

TDA Introspection:

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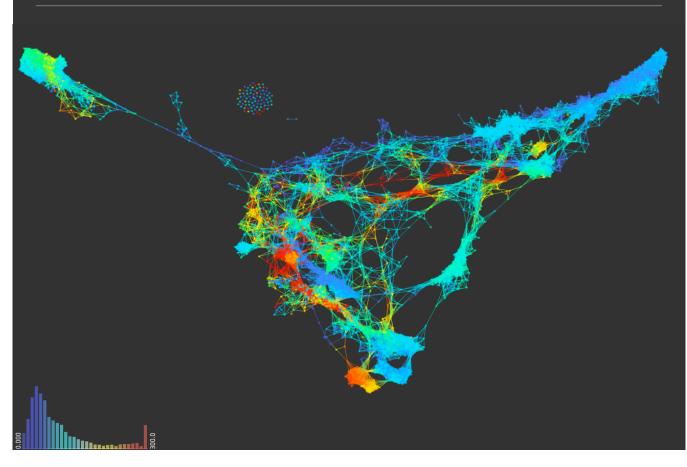
Create a dataset that contains all non-cost information.

TDA Introspection:

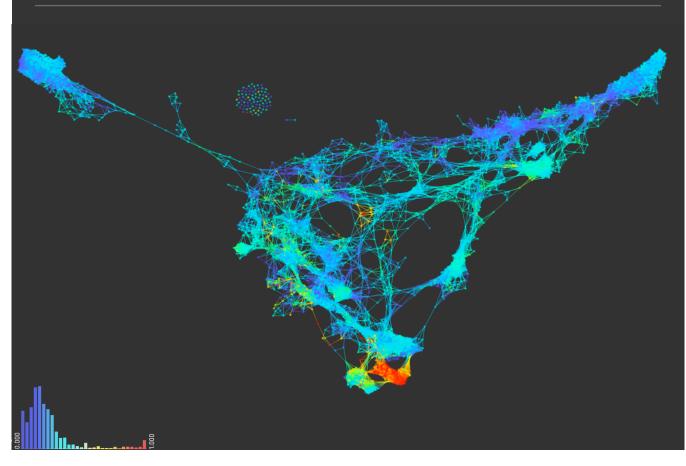
- Create a dataset that contains all non-cost information.
- Color by who is being flagged by the ensemble as being a (high) cost outlier.

Model Introspection: Customer Cost

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Observation:

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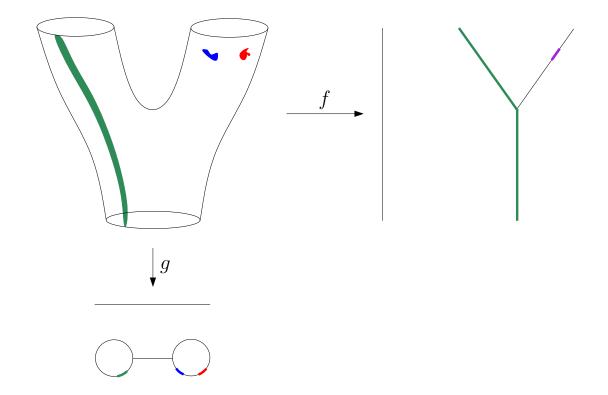
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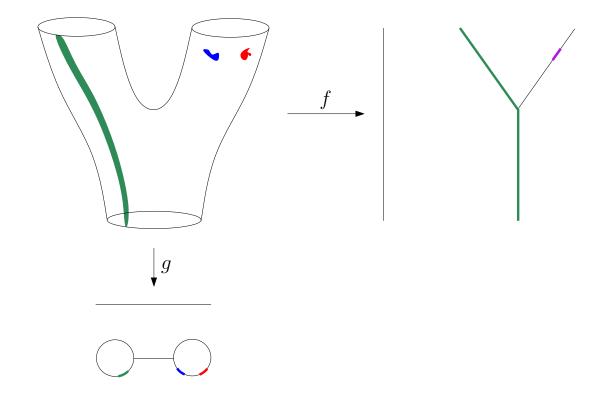
- Have we found a model free outlier model? No cost information needed?
- More likely: Our models have a systematic bias.
- \Rightarrow TDA tells use where to look in our data for problems and questions.

Thank You! http://www.ayasdi.com/ Part II

- 1. Review
- 2. Why Topolgy? (With Examples)
- 3. More Applications



TDA is a machine for creating geometric/topological summaries.



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The shape (segmentations, groupings, features) represent verified hypothesis. You have to decide if they are interesting.

Topology has three properties that make it well suited for data analysis

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We'll examine them in turn.

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 \Rightarrow You want to study properties of your data that are invariant under coordinate changes.

We want to study a specific biological phenomena via gene expression, such as cancer. We compare the data using:

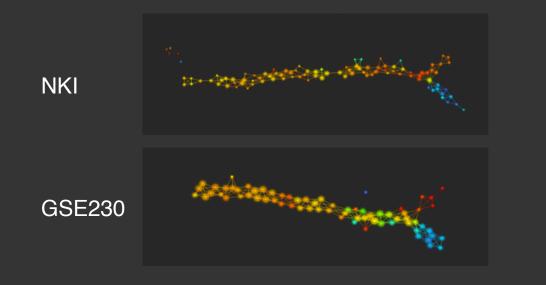
Samples from different patient populations

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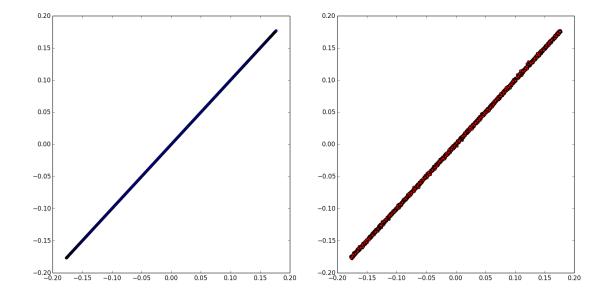
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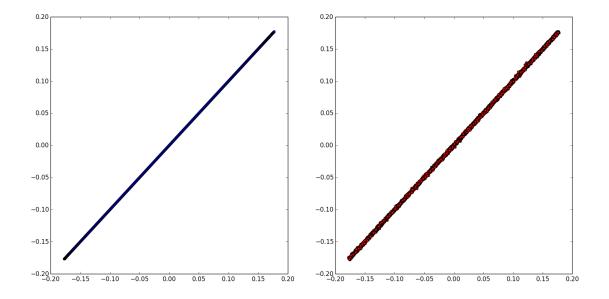
- ► Noise resistance.
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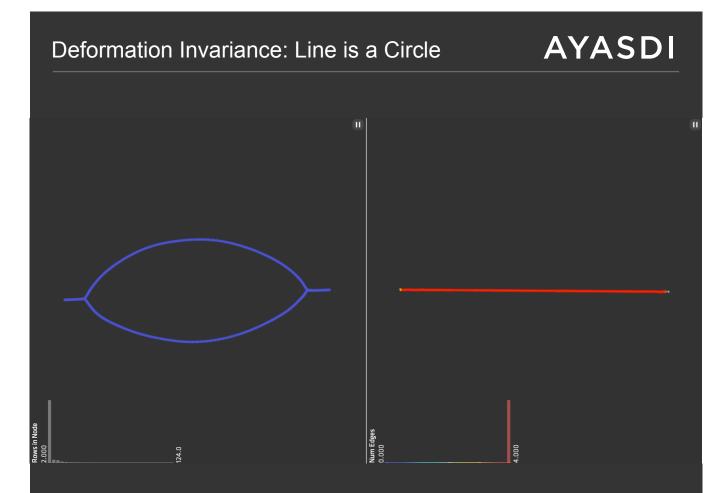
- ► Noise resistance.
- Less preprocessing of the data.
- Robust (stable) answers.





Pearson Correlation: 0.999998 resp 0.9999

Use x-axis coordinate as a lens. Expect that we will get two lines out.



Some lessons.

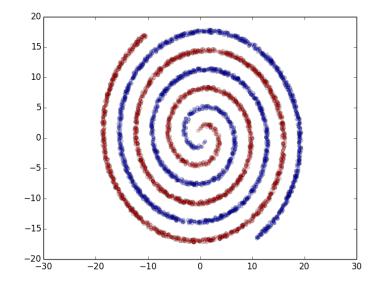
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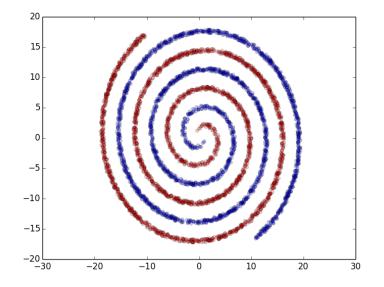
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- Being insensitive to deformation means we discover unexpected structure.
- We **did not** find structure in noise.

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- Separating the two classes was easy. Take connected components of graph.
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- If there was localized structure along the spiral, for example, subclasses of the two major classes, we would find those localizatons on these lines.

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This is more or less what TDA is about

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 Come at your problem with as few assumptions as possible but bring tools to measure what's there (metrics & lenses)

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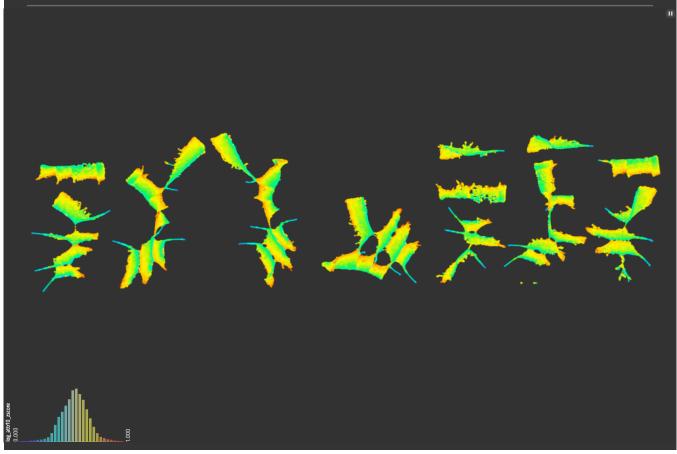
Use your map to make decisions! Don't got back and measure from scratch.

 \Rightarrow TDA is the machine that takes the tools (metrics & lenses) and produces the summary (network)

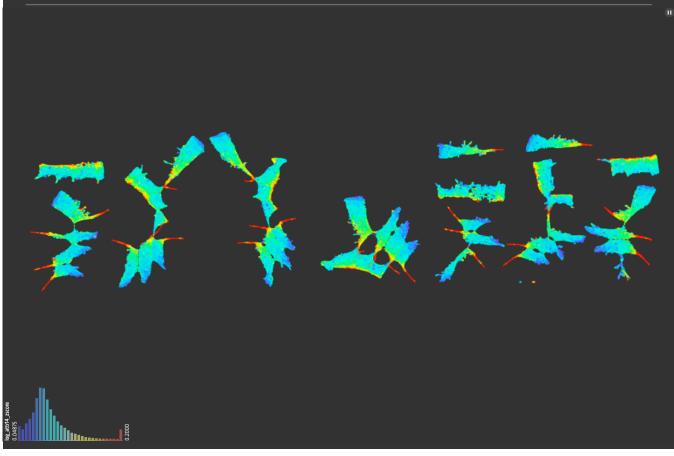
More Examples

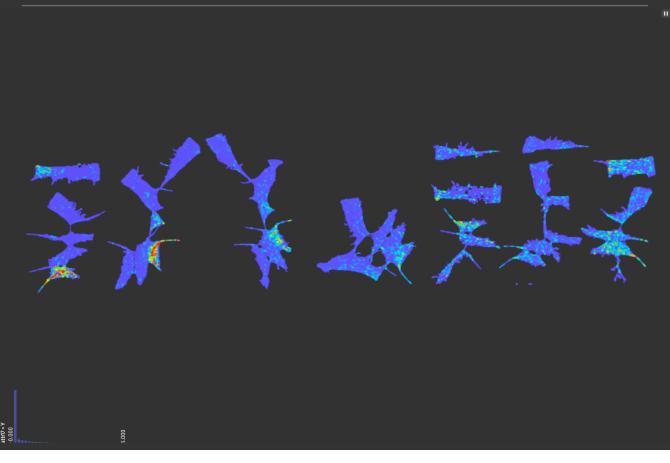
Data: Customer usage and contractual details for major telco.

Analysis: A contractual stage data lens was used to split the data into "contractual stage" groups









Shape and Meaning

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 \Rightarrow We turn our insight into better targeting resulting in fewer lost customers. This can be automated.

Predictive Maintenance: Industrial Machinery

Setup: We have a large piece of industrial machinery, think turbine, jet engine, locomotive or robot. Built into the machine are sensors measuring physical quantities: pressure, temperature, rpms etc.

Problem: Unscheduled downtime is very expensive.

Question: Can we predict when a part will need to be repaired in the future so we can schedule the downtime appropriately?

Predictive Maintenance: Industrial Machinery

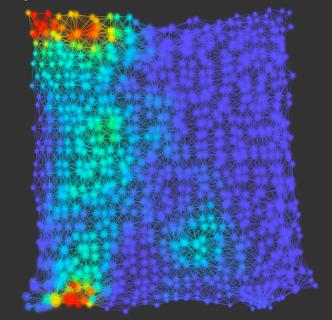
Data Transformation: We want the sensors to be comparable. In this example, z-scoring is sensible

Predictive Maintenance: Industrial Machinery

Data Transformation: We want the sensors to be comparable. In this example, z-scoring is sensible (but there are other sensible choices as well, min/max normalization, logs if sensors vary of several orders of magnitude).

Predictive Maintenance: Industrial Machinery AYASDI

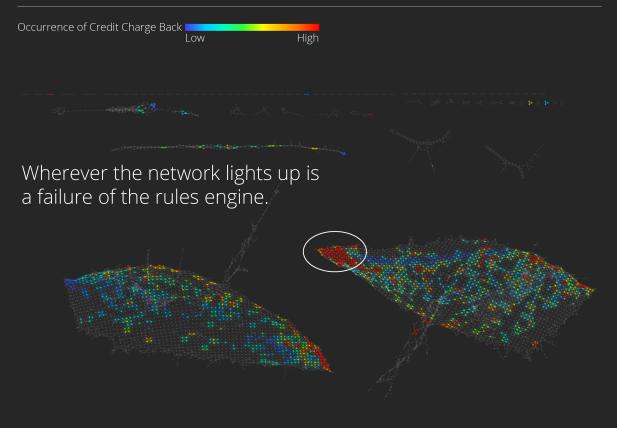
High mean, high variance



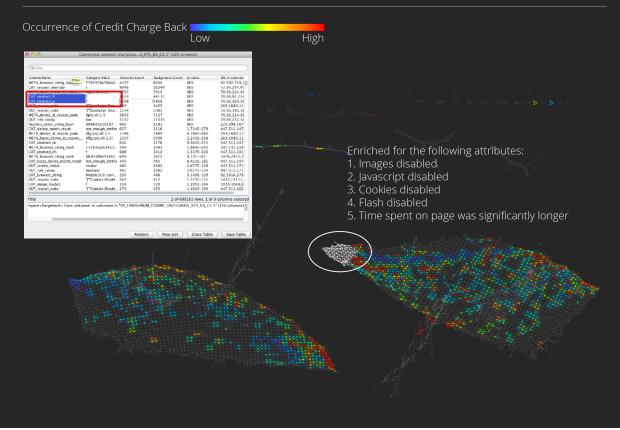
High mean, low variance

Risk score Low	High			
About the data:				
Each transaction ha	ons for a given month is 140 attributes (acco ns that were not caugh	unt, device, timin; it were flagged by	g) y chargebacks	******
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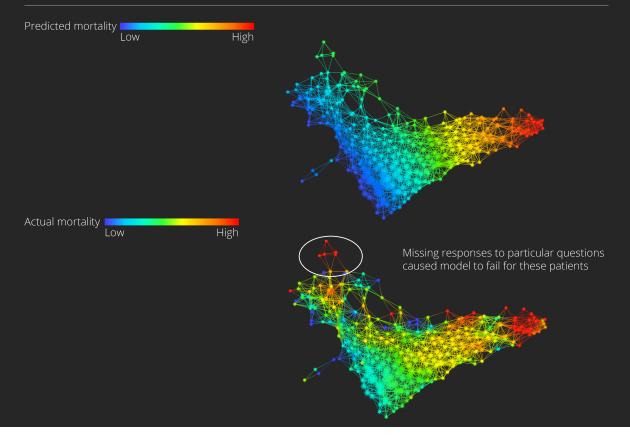
Fraud Detection



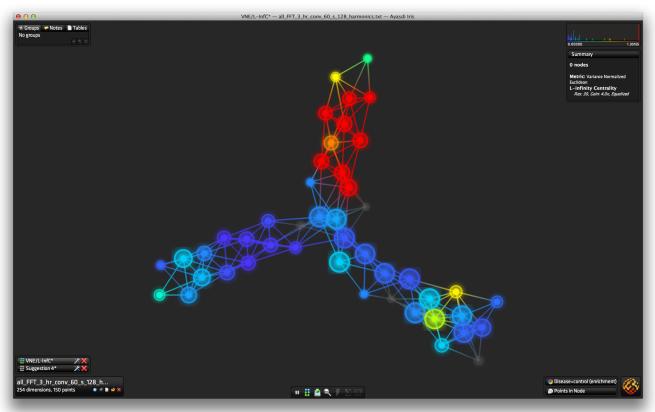
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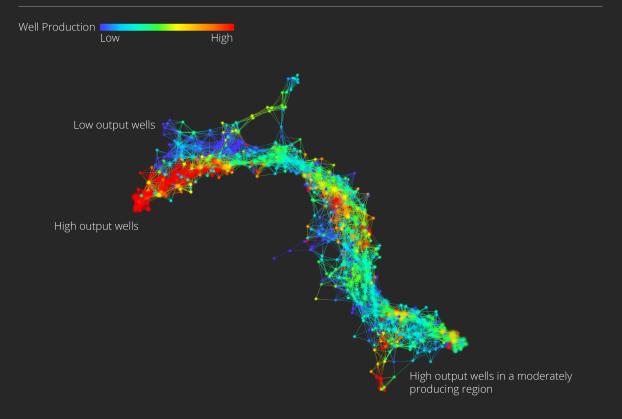
Emergency room triage model



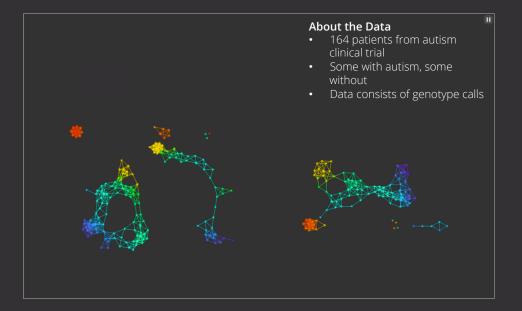
Parkinson's Detection with Mobile Phone



Oil Well Sensors and Recovery

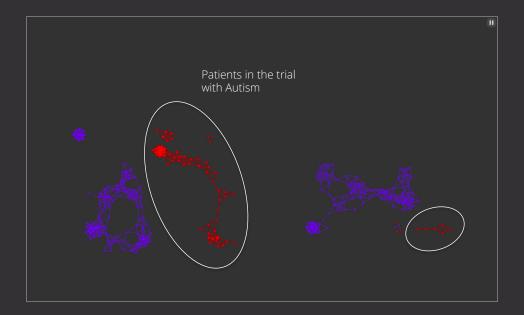


Analyzing NGS Data with Ayasdi Cure



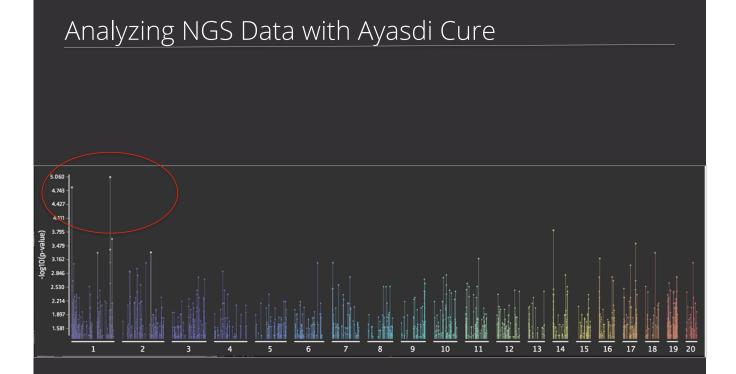
Goal: Identify genetic drivers of the disease in subpopulations

Analyzing NGS Data with Ayasdi Cure

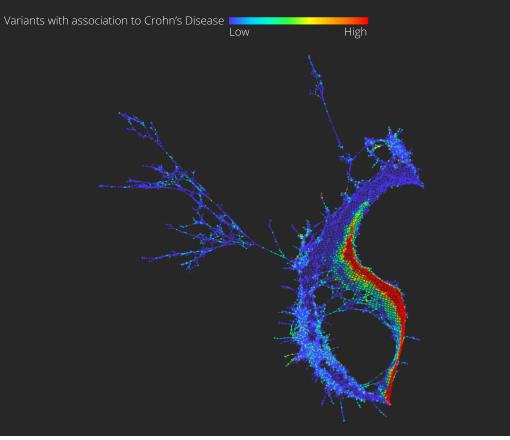


Disease Phenotype Fight Contract Contra

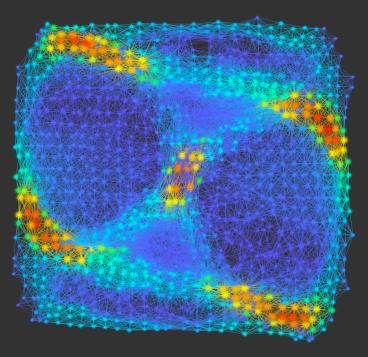
Low



The Wellcome Trust Case Control Consortium



Isomap: Configuration Space of C_8H_{16} **AYASDI**



lu.....

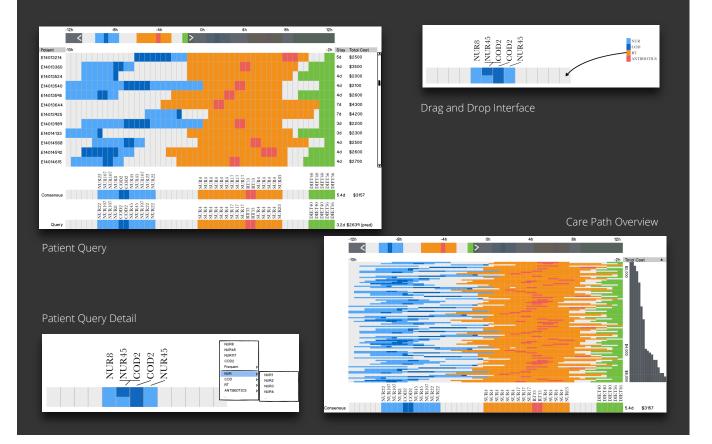
Malware System Calls



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000	Analysis 2* — CSDMC_API_Train_twoGrams_sparseBinary_1-2-3-gram_categorical_transform.tsv — Ayasdi Iris	
🕇 Groups 🔗 Notes 📄 Tables		
→ Explain Group 1 → Explain Group 2		· · · · · · · · · · · · · · · · · · ·
		0.00000 1.00000
		Summary
		0 nodes
		Metric: Variance Normalized Euclidean
		SVD1
		Res: 45, Gain: 3.0x, Equalized SVD2
		Res: 45, Gain: 3.0x, Equalized
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🗄 Analysis 2* 🛛 🗶 🗙		
CSDMC_API_Train_twoGrams_s 388 dimensions, 388 points 💿 🖈 😫 🗙		IsMalware Points in Node
	∑Z < <p>✓</p>	m Points in Node

User Experience for Care Paths



What's the point of all this?

Data Has Shape And Shape Has Meaning

Thank You! http://www.ayasdi.com/